## $Q.\ 1-Q.\ 5$ carry one mark each.

Q.1	The volume of a sphere of diameter 1 unit is _				s	than the volume of a cube of side 1 unit.			
	(A) least		(B)	less	(C)	lesser	(D)	low	
Q.2	The unruly	crowd dema	nded	that the accuse	ed be		without tri	al.	
	(A) hanged	1	(B)	hanging	(C)	hankering	(D)	hung	
Q.3	Choose the	statement(s)	whe	re the underlin	ed word	is used correc	tly:		
	(ii)		ıg <u>pro</u>	ed plum.  one on the flood  a lot of fat are I		neart disease.			
	(A) (i) and	(iii) only	(B)	(iii) only	(C)	(i) and (ii) or	nly (D)	(ii) and (iii) only	
Q.4	(iii) The	lowing state	emen wet						
	Which one of the options given below is <b>NOT</b> logically possible, based on the given fact?								
	(A) If (iii),	then (iv).			(B)	If (i), then (i	ii).		
	(C) If (i), the	hen (ii).			(D)	If (ii), then (	iv).		
Q.5	A window is made up of a square portion and an equilateral triangle portion above it. The base of the triangular portion coincides with the upper side of the square. If the perimeter of the window if 6 m, the area of the window in m <sup>2</sup> is								
	(A) 1.43		(B)	2.06	(C)	2.68	(D)	2.88	

## Q. 6 - Q. 10 carry two marks each.

Q.6	Students taking an exam are divided into two groups, P and Q such that each group has the same
	number of students. The performance of each of the students in a test was evaluated out of 200
	marks. It was observed that the mean of group P was 105, while that of group Q was 85. The
	standard deviation of group P was 25, while that of group Q was 5. Assuming that the marks were
	distributed on a normal distribution, which of the following statements will have the highest
	probability of being TRUE?

- (A) No student in group  $\mathbf{Q}$  scored less marks than any student in group  $\mathbf{P}$ .
- (B) No student in group P scored less marks than any student in group Q.
- (C) Most students of group  $\mathbf{Q}$  scored marks in a narrower range than students in group  $\mathbf{P}$ .
- (D) The median of the marks of group  $\mathbf{P}$  is 100.
- Q.7 A smart city integrates all modes of transport, uses clean energy and promotes sustainable use of resources. It also uses technology to ensure safety and security of the city, something which critics argue, will lead to a surveillance state.

Which of the following can be logically inferred from the above paragraph?

- (i) All smart cities encourage the formation of surveillance states.
- (ii) Surveillance is an integral part of a smart city.
- (iii) Sustainability and surveillance go hand in hand in a smart city.
- (iv) There is a perception that smart cities promote surveillance.
- (A) (i) and (iv) only

(B) (ii) and (iii) only

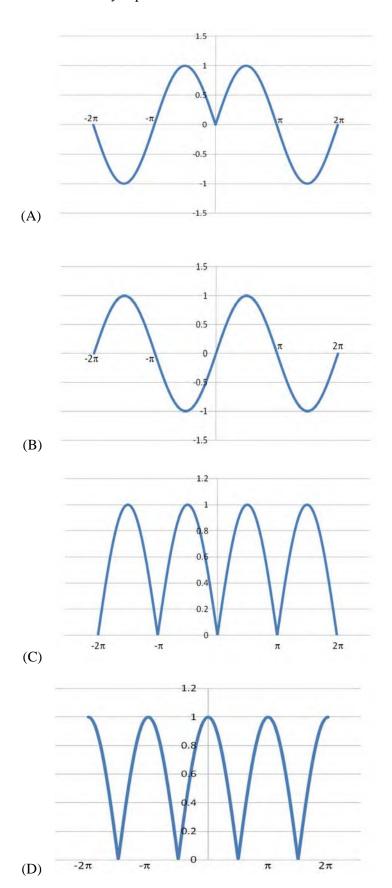
(C) (iv) only

- (D) (i) only
- Q.8 Find the missing sequence in the letter series.

B, FH, LNP, \_ \_ \_ \_.

- (A) SUWY
- (B) TUVW
- (C) TVXZ
- (D) TWXZ
- Q.9 The binary operation  $\Box$  is defined as  $a \Box b = ab + (a+b)$ , where a and b are any two real numbers. The value of the identity element of this operation, defined as the number x such that  $a \Box x = a$ , for any a, is \_\_\_\_\_.
  - (A) 0
- (B) 1
- (C) 2
- (D) 10

Q.10 Which of the following curves represents the function  $y = \ln(|e^{[|\sin(|x|)|]}|)$  for  $|x| < 2\pi$ ? Here, x represents the abscissa and y represents the ordinate.



END OF THE QUESTION PAPER

## Q. 1 – Q. 25 carry one mark each.

- Q.1 Consider the linear differential equation  $\frac{dy}{dx} = xy$ . If y = 2 at x = 0, then the value of y at x = 2 is given by
  - (A)  $e^{-2}$

(B)  $2e^{-2}$ 

(C)  $e^2$ 

- (D)  $2e^2$
- Q.2 Which of the following magnetic vector potentials gives rise to a uniform magnetic field  $B_0 \hat{k}$ ?
  - (A)  $B_0 z \hat{k}$

(B)  $-B_0 x \hat{j}$ 

(C)  $\frac{B_0}{2} \left( -y \hat{i} + x \hat{j} \right)$ 

(D)  $\frac{B_0}{2} \left( y \,\hat{i} + x \,\hat{j} \right)$ 

- Q.3 The molecule  $^{17}O_2$  is
  - (A) Raman active but not NMR (nuclear magnetic resonance) active.
  - (B) Infrared active and Raman active but not NMR active.
  - (C) Raman active and NMR active.
  - (D) Only NMR active.
- Q.4 There are four electrons in the 3d shell of an isolated atom. The total magnetic moment of the atom in units of Bohr magneton is \_\_\_\_\_\_.
- Q.5 Which of the following transitions is NOT allowed in the case of an atom, according to the electric dipole radiation selection rule?
  - (A) 2s-1s
- (B) 2*p*-1*s*
- (C) 2*p*-2*s*
- (D) 3*d*-2p
- Q.6 In the SU(3) quark model, the triplet of mesons  $(\pi^+, \pi^0, \pi^-)$  has
  - (A) Isospin = 0, Strangeness = 0
  - (B) Isospin = 1, Strangeness = 0
  - (C) Isospin = 1/2, Strangeness = +1
  - (D) Isospin = 1/2, Strangeness = -1
- Q.7 The magnitude of the magnetic dipole moment associated with a square shaped loop carrying a steady current I is m. If this loop is changed to a circular shape with the same current I passing through it, the magnetic dipole moment becomes  $\frac{pm}{\pi}$ . The value of p is \_\_\_\_\_.
- Q.8 The total power emitted by a spherical black body of radius R at a temperature T is  $P_1$ . Let  $P_2$  be the total power emitted by another spherical black body of radius R/2 kept at temperature 2T. The ratio,  $P_1/P_2$  is \_\_\_\_\_\_. (Give your answer upto two decimal places)

Q.9	direction, is give The probability of	en by $S = -k_B N [p \ln p]$	$(1+(1-p)\ln(1-p)]$ . For ard direction is $p$ . The	in the upward or in the down tere $k_B$ is the Boltzmann consvalue of $p$ , at which the entrope)	stant.
Q.10	For a system at equilibrium?	constant temperature and	d volume, which of the	following statements is corre	ect at
	(B) The Helmhol (C) The Gibbs fr	tz free energy attains a letz free energy attains a lee energy attains a local ee energy attains a local	ocal maximum. minimum.		
Q.11	changed to 4V,		energy constant. The cl	V. The volume of the contain nange in the entropy of the grant.	
Q.12	Which of the foll	owing is an analytic fun	ction of z everywhere i	n the complex plane?	
	(A) $z^2$	(B) $(z^*)^2$	(C) $ z ^2$	(D) $\sqrt{z}$	
Q.13	When only slit-1 open, the maxim	is open, the maximum of num observed intensity is creen. The ratio of the	observed intensity on the $I_0$ . When both the slip	is has two slits of unequal with the screen is $4I_0$ . When only slits are open, an interference parall maximum to that of the new	t-2 is
Q.14		l which obeys the Somm $H_H$ is its Hall coefficient.		If $E_F$ is the Fermi energy of the statements is correct?	e meta
	(A) $R_H \propto E_F^{-3/2}$	(B) $R_H \propto E_F^2$	$^3$ (C) $R_H \propto E_F$	-3/2 (D) R <sub>H</sub> is independ	ent of
Q.15	$m_2 > m_1$ ), arrange	ed alternately. The distar ximation is valid. At th	ce between successive	atoms of masses $m_1$ and $m_2$ (vatoms is the same. Assume the boundary, which of the follows)	at the
	(B The atoms of (C) Both types of modes.	mass $m_1$ are at rest in the of atoms vibrate with economic of atoms vibrate, but with	optical mode, while the	ney vibrate in the acoustical mey vibrate in the acoustical mooptical as well as in the acouplitudes in the optical as well	de. stical
Q.16	Which of the fol	lowing operators is Hern	nitian?		
	(A) $\frac{d}{dx}$	(B) $\frac{d^2}{dx^2}$	(C) $i\frac{d^2}{dx^2}$	(D) $\frac{d^3}{dx^3}$	

Q.17	The kinetic energy of a particle of rest mass $m_0$ is equal to its rest mass energy. Its momentum in						
	units of $m_0c$ , where decimal places)	c is the speed of $b$	ight in vacuum, is _	(Give your answer upto	o two		
Q.18	is $2 \times 10^{19}$ m <sup>-3</sup> . Upo	n lightly doping this	s semiconductor with apperature becomes 4 >	remiconductor at a given temper donor impurities, the number do $10^{20} \text{ m}^{-3}$ . The ratio of major	ensity		
Q.19		f the ratio $k/m = 4$	$s^{-2}$ , the angular frequ	One block has mass $m$ and the lency of vibration $\omega$ of the two decimal places)			
Q.20	vector of the particle	A particle moving under the influence of a central force $\vec{F}(\vec{r}) = -k\vec{r}$ (where $\vec{r}$ is the position vector of the particle and $k$ is a positive constant) has non-zero angular momentum. Which of the following curves is a possible orbit for this particle?					
	<ul><li>(A) A straight line se</li><li>(B) An ellipse with it</li><li>(C) An ellipse with o</li><li>(D) A parabola with</li></ul>	ts center at the origin one of the foci at the	n. origin.				
Q.21	Consider the reaction	$_{25}^{54}Mn + e^{-} \rightarrow$	$_{24}^{54}Cr + X$ . The j	particle $X$ is			
	(Α) γ	(B) $V_e$	(C) <i>n</i>	(D) $\pi^0$			
Q.22	The scattering of particles by a potential can be analyzed by Born approximation. In particular, if the scattered wave is replaced by an appropriate plane wave, the corresponding Born approximation is known as the first Born approximation. Such an approximation is valid for						
	(A) large incident ene (B) large incident ene (C) small incident ene (D) small incident ene	rgies and strong sca ergies and weak scat	ttering potentials.				
Q.23	Consider an elastic s	cattering of particle	es in $l = 0$ states. If	the corresponding phase shift	$\delta_{\scriptscriptstyle 0}$ is		
	90° and the magnitude cross section in units		rave vector is equal to	o $\sqrt{2\pi}$ fm <sup>-1</sup> then the total scatt	tering		
Q.24				uniform electric field $\vec{E} = E_0$ e value of the exponent $n$ is			

- A solid material is found to have a temperature independent magnetic susceptibility,  $\chi = C$ . Which Q.25 of the following statements is correct?
  - (A) If C is positive, the material is a diamagnet.
  - (B) If *C* is positive, the material is a ferromagnet.
  - (C) If C is negative, the material could be a type I superconductor.
  - (D) If C is positive, the material could be a type I superconductor.

	Q.	<b>26</b> –	Q. 55	carry	two	marks	each
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Q.26	An infinite, conducting slab kept in a horizontal plane carries a uniform charge density $\sigma$ .
	Another infinite slab of thickness $t$ , made of a linear dielectric material of dielectric constant $k$ , is
	kept above the conducting slab. The bound charge density on the upper surface of the dielectric slab
	is

(A)  $\frac{\sigma}{2k}$ 

(B)  $\frac{\sigma}{k}$ 

(C)  $\frac{\sigma(k-2)}{2k}$ 

(D)  $\frac{\sigma(k-1)}{k}$ 

Q.27 The number of spectroscopic terms resulting from the  $L \cdot S$  coupling of a 3p electron and a 3d electron is \_\_\_\_\_.

- Which of the following statements is NOT correct? Q.28
  - (A) A deuteron can be disintegrated by irradiating it with gamma rays of energy 4 MeV.
  - (B) A deuteron has no excited states.
  - (C) A deuteron has no electric quadrupole moment.
  - (D) The <sup>1</sup>S<sub>0</sub> state of deuteron cannot be formed.

If  $\vec{s}_1$  and  $\vec{s}_2$  are the spin operators of the two electrons of a He atom, the value of  $\langle \vec{s}_1 \cdot \vec{s}_2 \rangle$  for the Q.29 ground state is

- (A)  $-\frac{3}{2}\hbar^2$  (B)  $-\frac{3}{4}\hbar^2$
- (C) 0
- (D)  $\frac{1}{4}\hbar^2$

A two-dimensional square rigid box of side L contains six non-interacting electrons at T = 0 K. The Q.30 mass of the electron is m. The ground state energy of the system of electrons, in units of  $\frac{\pi^2 \hbar^2}{2mI^2}$  is

An alpha particle is accelerated in a cyclotron. It leaves the cyclotron with a kinetic energy of 16 MeV. The potential difference between the D electrodes is 50 kilovolts. The number of revolutions the alpha particle makes in its spiral path before it leaves the cyclotron is \_\_\_\_\_.

Let  $V_i$  be the  $i^{th}$  component of a vector field  $\vec{V}$ , which has zero divergence. If  $\partial_i \equiv \partial/\partial x_i$ , the expression for  $\epsilon_{ijk} \epsilon_{lmk} \partial_i \partial_l V_m$  is equal to

- (A)  $-\partial_j \partial_k V_i$  (B)  $\partial_j \partial_k V_i$  (C)  $\partial_j^2 V_i$  (D)  $-\partial_j^2 V_i$

- The direction of  $\vec{\nabla} f$  for a scalar field  $f(x, y, z) = \frac{1}{2}x^2 xy + \frac{1}{2}z^2$  at the point P(1, 1, 2) is
  - (A)  $\frac{\left(-\hat{j}-2\hat{k}\right)}{\sqrt{5}}$  (B)  $\frac{\left(-\hat{j}+2\hat{k}\right)}{\sqrt{5}}$  (C)  $\frac{\left(\hat{j}-2\hat{k}\right)}{\sqrt{5}}$

- Q.34  $\sigma_x$ ,  $\sigma_y$  and  $\sigma_z$  are the Pauli matrices. The expression  $2\sigma_x\sigma_y + \sigma_y\sigma_x$  is equal to
  - $(A) 3i\sigma_z$
- (B)  $-i\sigma$ , (C)  $i\sigma$ ,

- Q.35 A particle of mass  $m = 0.1 \,\mathrm{kg}$  is initially at rest at origin. It starts moving with a uniform acceleration  $\vec{a} = 10\hat{i}$  ms<sup>-2</sup> at t = 0. The action S of the particle, in units of J-s, at t = 2 s is . (Give your answer upto two decimal places)
- A periodic function f(x) of period  $2\pi$  is defined in the interval  $(-\pi < x < \pi)$  as:  $f(x) = \begin{cases} -1, -\pi < x < 0 \\ 1, 0 < x < \pi \end{cases}$

The appropriate Fourier series expansion for f(x) is

- (A)  $f(x) = (4/\pi)[\sin x + (\sin 3x)/3 + (\sin 5x)/5 + ...]$
- (B)  $f(x) = (4/\pi)[\sin x (\sin 3x)/3 + (\sin 5x)/5 ...]$
- (C)  $f(x) = (4/\pi)[\cos x + (\cos 3x)/3 + (\cos 5x)/5 + ...]$
- (D)  $f(x) = (4/\pi)[\cos x (\cos 3x)/3 + (\cos 5x)/5 ...]$
- Q.37 Atoms, which can be assumed to be hard spheres of radius R, are arranged in an fcc lattice with lattice constant a, such that each atom touches its nearest neighbours. Take the center of one of the atoms as the origin. Another atom of radius r (assumed to be hard sphere) is to be accommodated at a position (0, a/2, 0) without distorting the lattice. The maximum value of r/R is \_\_\_\_\_\_. (Give your answer upto two decimal places)
- In an inertial frame of reference S, an observer finds two events occurring at the same time at co-Q.38 ordinates  $x_1 = 0$  and  $x_2 = d$ . A different inertial frame S' moves with velocity v with respect to S along the positive x-axis. An observer in S' also notices these two events and finds them to occur at times  $t_1'$  and  $t_2'$  and at positions  $x_1'$  and  $x_2'$ , respectively. If  $\Delta t' = t_2' - t_1'$ ,  $\Delta x' = x_2' - x_1'$  and  $\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}}$ , which of the following statements is true ?
  - (A)  $\Delta t' = 0, \Delta x' = \gamma d$

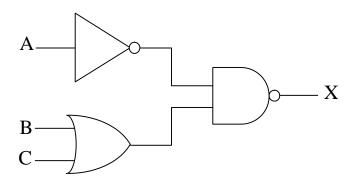
- (B)  $\Delta t' = 0$ ,  $\Delta x' = d/\gamma$
- (C)  $\Delta t' = -\gamma \, v d/c^2$ ,  $\Delta x' = \gamma \, d$
- (D)  $\Delta t' = -\gamma \, v d/c^2$ ,  $\Delta x' = d/\gamma$

- Q.39 The energy vs. wave vector (E-k) relationship near the bottom of a band for a solid can be approximated as  $E = A(ka)^2 + B(ka)^4$ , where the lattice constant a = 2.1 Å. The values of A and B are  $6.3 \times 10^{-19}$  J and  $3.2 \times 10^{-20}$  J, respectively. At the bottom of the conduction band, the ratio of the effective mass of the electron to the mass of free electron is \_\_\_\_\_. (Give your answer upto two decimal places) (Take  $\hbar = 1.05 \times 10^{-34}$  J-s, mass of free electron=  $9.1 \times 10^{-31}$  kg)
- 0.40 The electric field component of a plane electromagnetic wave travelling in vacuum is given by  $\vec{E}(z,t) = E_0 \cos(kz - \omega t)\hat{i}$ . The Poynting vector for the wave is
  - (A)  $(c\varepsilon_0/2)E_0^2\cos^2(kz-\omega t)\hat{j}$
  - (B)  $(c\varepsilon_0/2)E_0^2\cos^2(kz-\omega t)\hat{k}$
  - (C)  $c\varepsilon_0 E_0^2 \cos^2(kz \omega t) \hat{j}$
  - (D)  $c\varepsilon_0 E_0^2 \cos^2(kz \omega t)\hat{k}$
- Q.41 Consider a system having three energy levels with energies 0,  $2\varepsilon$  and  $3\varepsilon$ , with respective degeneracies of 2, 2 and 3. Four bosons of spin zero have to be accommodated in these levels such that the total energy of the system is  $10\varepsilon$ . The number of ways in which it can be done is
- The Lagrangian of a system is given by  $L = \frac{1}{2}ml^2[\dot{\theta}^2 + \sin^2\theta \dot{\varphi}^2] - mgl\cos\theta$ , where m, l and g are constants.

Which of the following is conserved?

- (A)  $\dot{\varphi}\sin^2\theta$
- (B)  $\dot{\varphi} \sin \theta$
- (C)  $\frac{\dot{\varphi}}{\sin \theta}$  (D)  $\frac{\dot{\varphi}}{\sin^2 \theta}$
- Q.43 Protons and α-particles of equal initial momenta are scattered off a gold foil in a Rutherford scattering experiment. The scattering cross sections for proton on gold and α-particle on gold are  $\sigma_p$  and  $\sigma_\alpha$  respectively. The ratio  $\sigma_\alpha/\sigma_p$  is \_\_\_\_\_.

Q.44 For the digital circuit given below, the output X is



$$(A) \overline{\overline{A} + B \cdot C}$$

(B) 
$$\overline{\overline{A} \cdot (B+C)}$$

(C) 
$$\overline{A} \cdot (B+C)$$

(D) 
$$A + \overline{(B \cdot C)}$$

Q.45 The Fermi energies of two metals X and Y are 5 eV and 7 eV and their Debye temperatures are 170 K and 340 K, respectively. The molar specific heats of these metals at constant volume at low temperatures can be written as  $(C_V)_X = \gamma_X T + A_X T^3$  and  $(C_V)_Y = \gamma_Y T + A_Y T^3$ , where  $\gamma$  and A are constants. Assuming that the thermal effective mass of the electrons in the two metals are same, which of the following is correct?

(A) 
$$\frac{\gamma_X}{\gamma_Y} = \frac{7}{5}, \frac{A_X}{A_Y} = 8$$

(B) 
$$\frac{\gamma_X}{\gamma_V} = \frac{7}{5}, \frac{A_X}{A_V} = \frac{1}{8}$$

(C) 
$$\frac{\gamma_X}{\gamma_Y} = \frac{5}{7}, \ \frac{A_X}{A_Y} = \frac{1}{8}$$

(D) 
$$\frac{\gamma_X}{\gamma_Y} = \frac{5}{7}$$
,  $\frac{A_X}{A_Y} = 8$ 

Q.46 A two-level system has energies zero and E. The level with zero energy is non-degenerate, while the level with energy E is triply degenerate. The mean energy of a classical particle in this system at a temperature T is

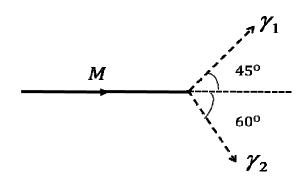
(A) 
$$\frac{Ee^{-E/k_BT}}{1+3e^{-E/k_BT}}$$

(B) 
$$\frac{Ee^{-E/k_BT}}{1+e^{-E/k_BT}}$$

(C) 
$$\frac{3Ee^{-E/k_BT}}{1+e^{-E/k_BT}}$$

(D) 
$$\frac{3Ee^{-E/k_BT}}{1+3e^{-E/k_BT}}$$

Q.47 A particle of rest mass M is moving along the positive x-direction. It decays into two photons  $\gamma_1$ and  $\gamma_2$  as shown in the figure. The energy of  $\gamma_1$  is 1 GeV and the energy of  $\gamma_2$  is 0.82 GeV. The value of M (in units of  $GeV/c^2$ ) is \_\_\_\_\_. (Give your answer upto two decimal places)



If x and p are the x components of the position and the momentum operators of a particle respectively, the commutator  $[x^2, p^2]$  is

(A) 
$$i\hbar(xp - px)$$

(B) 
$$2i\hbar(xp-px)$$

(C) 
$$i\hbar(xp + px)$$

(D) 
$$2i\hbar(xp + px)$$

The x-y plane is the boundary between free space and a magnetic material with relative Q.49 permeability  $\mu_r$ . The magnetic field in the free space is  $B_x \hat{i} + B_z \hat{k}$ . The magnetic field in the magnetic material is

(A) 
$$B_x \hat{i} + B_z \hat{k}$$

(B) 
$$B_r \hat{i} + \mu_r B_z \hat{k}$$

(C) 
$$\frac{1}{\mu_r} B_x \hat{i} + B_z \hat{k}$$

(D) 
$$\mu_r B_x \hat{i} + B_z \hat{k}$$

Q.50 Let  $|l,m\rangle$  be the simultaneous eigenstates of  $L^2$  and  $L_z$ . Here  $\vec{L}$  is the angular momentum operator with Cartesian components  $(L_x, L_y, L_z)$ , l is the angular momentum quantum number and m is the azimuthal quantum number. The value of  $\langle 1,0|(L_x+iL_y)|1,-1\rangle$  is

(C) 
$$\sqrt{2}\hbar$$

(C) 
$$\sqrt{2}\hbar$$
 (D)  $\sqrt{3}\hbar$ 

For the parity operator P, which of the following statements is NOT true?

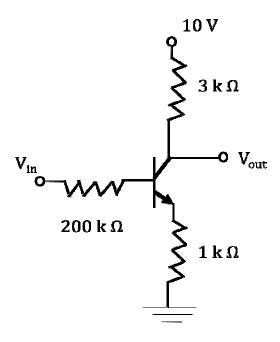
(A) 
$$P^{\dagger} = P$$

(B) 
$$P^2 = -P$$

(C) 
$$P^2 = 1$$

(A) 
$$P^{\dagger} = P$$
 (B)  $P^2 = -P$  (C)  $P^2 = I$  (D)  $P^{\dagger} = P^{-1}$ 

Q.52 For the transistor shown in the figure, assume  $V_{BE} = 0.7 \text{ V}$  and  $\beta_{dc} = 100$ . If  $V_{in} = 5 \text{ V}$ ,  $V_{out}$  (in Volts) is \_\_\_\_\_\_. (Give your answer upto one decimal place)



Q.53 The state of a system is given by

$$|\psi\rangle = |\phi_1\rangle + 2|\phi_2\rangle + 3|\phi_3\rangle$$

where  $|\phi_1\rangle$ ,  $|\phi_2\rangle$  and  $|\phi_3\rangle$  form an orthonormal set. The probability of finding the system in the state  $|\phi_2\rangle$  is \_\_\_\_\_\_. (Give your answer upto two decimal places)

- Q.54 According to the nuclear shell model, the respective ground state spin-parity values of  ${}^{15}_{8}O$  and  ${}^{17}_{8}O$  nuclei are
  - (A)  $\frac{1}{2}^+, \frac{1}{2}^-$

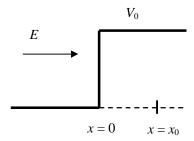
(B)  $\frac{1}{2}^{-}, \frac{5}{2}^{+}$ 

(C)  $\frac{3}{2}^{-}, \frac{5}{2}^{+}$ 

(D)  $\frac{3}{2}^{-}, \frac{1}{2}^{-}$ 

Q.55 A particle of mass m and energy E, moving in the positive x direction, is incident on a step potential at x = 0, as indicated in the figure. The height of the potential is  $V_0$ , where  $V_0 > E$ . At  $x = x_0$ , where  $x_0 > 0$ , the probability of finding the electron is 1/e times the probability of finding

it at x = 0. If  $\alpha = \sqrt{\frac{2m(V_0 - E)}{\hbar^2}}$ , the value of  $x_0$  is



- (A)  $\frac{2}{\alpha}$
- (B)  $\frac{1}{\alpha}$
- (C)  $\frac{1}{2\alpha}$
- (D)  $\frac{1}{4\alpha}$

## END OF THE QUESTION PAPER

Q. No	Туре	Section	Key	Marks
1	MCQ	GA	В	1
2	MCQ	GA	А	1
3	MCQ	GA	D	1
4	MCQ	GA	С	1
5	MCQ	GA	В	1
6	MCQ	GA	С	2
7	MCQ	GA	С	2
8	MCQ	GA	С	2
9	MCQ	GA	А	2
10	MCQ	GA	С	2
1	MCQ	PH	D	1
2	MCQ	PH	С	1
3	MCQ	PH	С	1
4	NAT	PH	0:0	1
5	MCQ	PH	A	1
6	MCQ	PH	В	1
7	NAT	PH	4:4	1
8	NAT	PH	0.25 : 0.25	1
9	NAT	PH	0.5 : 0.5	1
10	MCQ	PH	A	1
11	NAT	PH	2:2	1
12	MCQ	PH	A	1
13	NAT	PH	9:9	1
14	MCQ	PH	C	1
15	MCQ	PH	A	1
16	MCQ	PH	В	1
17	NAT	PH	1.72 : 1.74	1
18	NAT	PH	400 : 400	1
19	NAT	PH	2.41 : 2.49	1
20	MCQ	PH	В	1
21	MCQ	PH	В	1
22	MCQ	PH	A	1
23	NAT	PH	2:2	1
24	NAT	PH	2:2	1
25	MCQ	PH	C C	1
26	MCQ	PH	D	2
27	NAT	PH	12:12;6:6	2
28	MCQ	PH	C C	2
29	MCQ	PH	В	2
30	NAT	PH	24 : 24	2
31	NAT	PH	80 : 80	2
32	MCQ	PH	D D	2
33	MCQ	PH	В	2
34	MCQ	PH	С	2
35	NAT	PH	26.65 : 26.68	2
36	MCQ	PH	A	2
36	NAT	PH	0.40 : 0.42	2
	MCQ	PH		2
38			C 0.20 : 0.24	
39	NAT	PH	0.20 : 0.24	2

40	MCQ	PH	D	2
	-		_	
41	NAT	PH	18 : 18	2
42	MCQ	PH	Α	2
43	NAT	PH	4:4	2
44	MCQ	PH	В	2
45	MCQ	PH	Α	2
46	MCQ	PH	D	2
47	NAT	PH	1.40 : 1.45	2
48	MCQ	PH	D	2
49	MCQ	PH	D	2
50	MCQ	PH	С	2
51	MCQ	PH	В	2
52	NAT	PH	5.5 : 5.9	2
53	NAT	PH	0.27 : 0.29	2
54	MCQ	PH	В	2
55	MCQ	PH	С	2